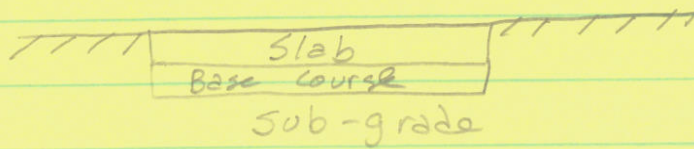


→ Slab on Grade

Concrete slab supported by soil



Examples:

Roads
Airfields
warehouse } High Quality Required

Floors

Patio

walkways

driveways

Nov 29, 2010

Slab on Grade

Types

Design Methods

Drying Shrinkage

Temp. Changes

Joints

Distributed Loads

Point Loads

Vehicular Loading

Wed Exam 3

3-5 pm

→ RC Slab on Grade Design Goals

- Limited or no cracking
- Durable surface
- Flat surface, no bumps

→ Design Loads

- temp & drying shrinkage
- distributed loads
 - uniform
 - variable
- point loads
 - wheel
 - rack & post
 - column

→ Types of Slab

A - Concrete only

B - concrete w/ T & S steel

C - shrinkage compensating concrete

D - post-tensioned concrete

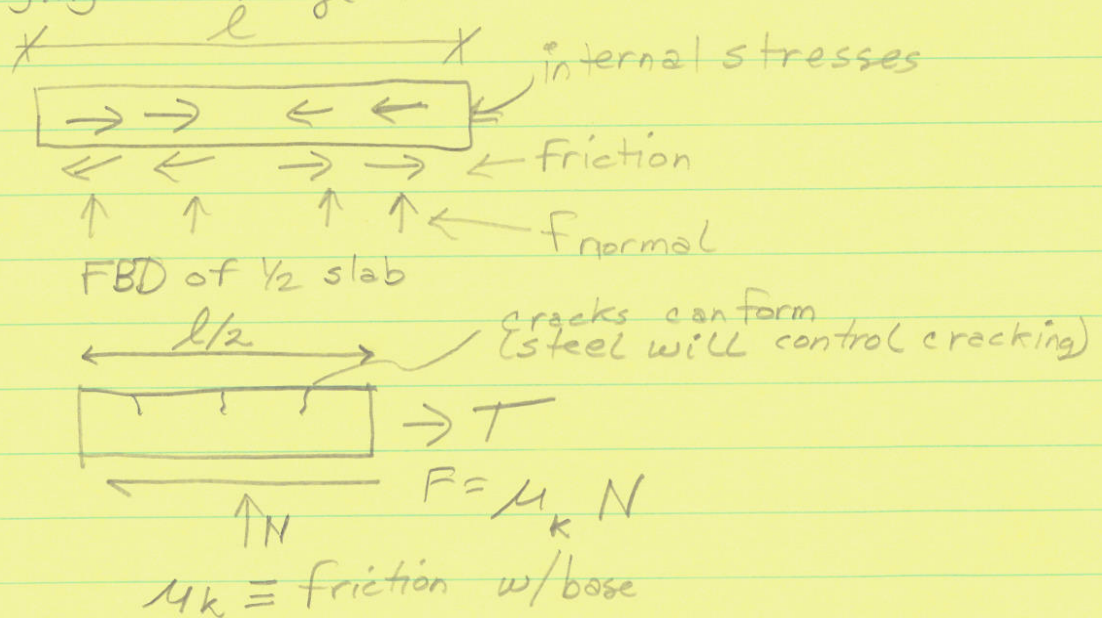
E - lightly reinforced (bars or PT tendons)

F - structurally reinforced slab (1 or 2 layers of bars or WWF)

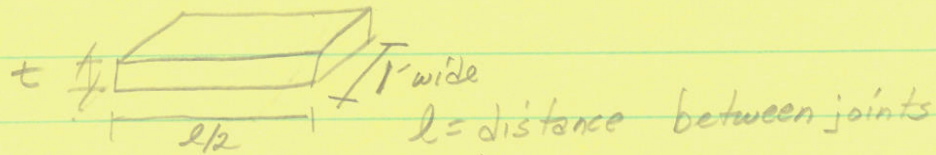
→ Design Methods

- ENCE4359 Method →
- Portland Cement Association (PCA) Most common
 - Wire Reinforcing Institute (WRI)
 - U.S. Army Corps of Engineers (COE)
 - Post-Tensioning Institute (PTI)
 - ACI Committee 223 (ACI 223)

→ Drying Shrinkage in Slabs



→ Subgrade Drag Equation



$$N = w_c t (l/2) (1')$$

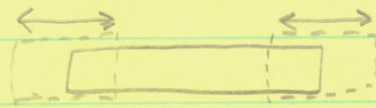
$$T = F = \mu_k w_c t (l/2) (1')$$

$$T = A_s f_{s \text{ allowed}} \rightarrow \approx 0.67 f_y \quad * \text{ for } T \text{ \& } S^{\text{emp}} \text{ shrinkage}$$

$$A_s = \frac{\mu_k w_c t l (1')}{2 f_{s \text{ allowable}}} \quad (\text{for } 1ft \text{ wide strip})$$

→ Temperature in Slabs

for 1ft wide strip.



$$A_s = \frac{f_r 12'' (t)}{2 f_{s \text{ allowed}} - T \alpha E_s}$$

$$f_r = 0.4 (0.75 \sqrt{f'_c})$$

$t = \text{thickness}$

$$f_{s \text{ allowed}} = 0.67 f_y$$

$$T = \Delta T \text{ in } ^\circ\text{F}$$

$\alpha = \text{coefficient of thermal expansion (in/in / } ^\circ\text{F)}$

$$E_s = 29 \times 10^6 \text{ psi}$$

EXAM Question

→ Joints in Slab

- Purpose

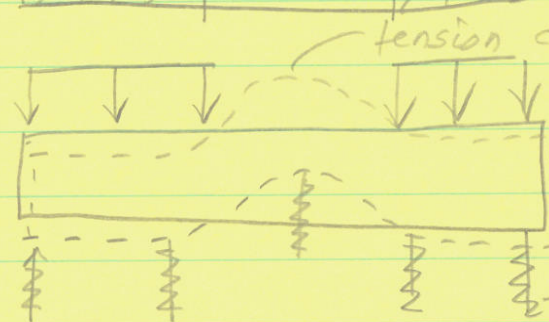
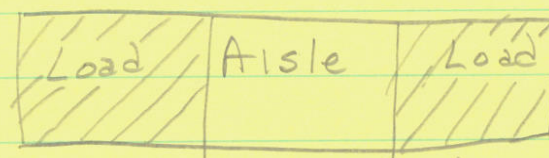
- accommodate movement
- prevent cracking
- constructability

- Types

- Isolation - separate slab from non-moving structure
- Construction - stopping points or limits of screed
- Contraction - planned cracked locations
- Expansion - allow for temp effect

→ Distributed Loads

Example Warehouse



soil acts like SPRING
 $k = \text{stiffness of soil}$

k like spring const.

→ Distributed Loads

Selection of design table depends on layout

Fixed

Variable

"predictable"

"unpredictable"

[Table A.33] in handout

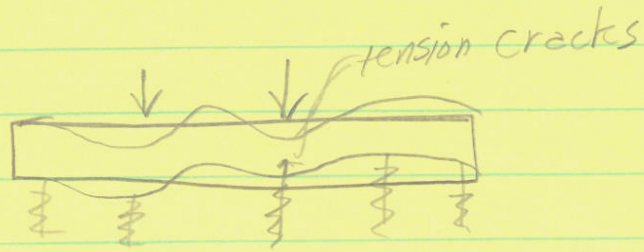
pg 16 → [A.32]

* Assumes a FS of 2.0

Aisles

Random

→ Point Loads



ex post or vehicle load

Rack & Post Loading

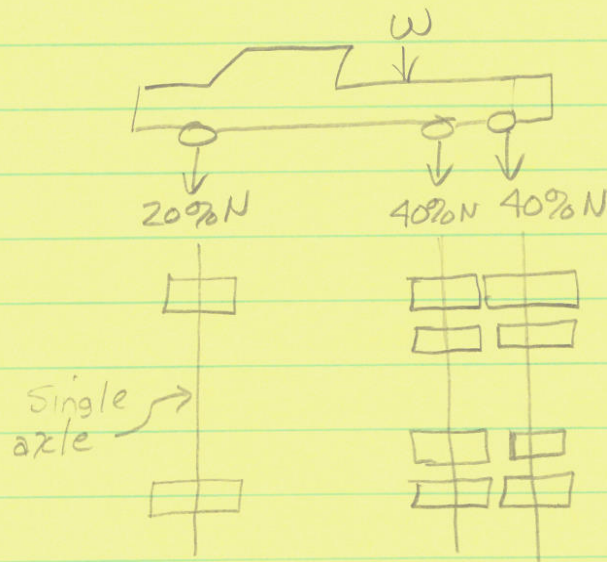
Use tables } A.17 $k = 50 \text{ pci}$ pg 13
 based on } A.18 $k = 100 \text{ pci}$ pg 14
 Subgrade k } A.19 $k = 200 \text{ pci}$ pg 15

* Interpolation allowed ↑

→ To use the tables you need

- spacing of posts x & y
- size of baseplate
- Subgrade k value (Fig A.2 pg 7)

→ Vehicle loading



→ Single wheel axle load

Use Figure A.7 (pg 11)

To use A.7 you need:

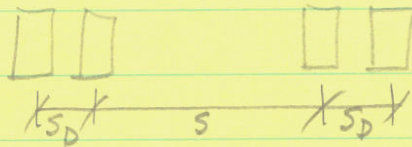
- subgrade value k
- stress per 1000 lb axle load
 $= \frac{\text{factored psi}}{\text{axle load (kips)}}$
- wheel spacing (in)
- effective contact area (in²)
 $= \frac{\text{tire load (lbs)}}{\text{tire pressure (psi)}}$

→ Dual wheel axle Load

- Use Fig A.9

To use A.9 you need:

- dual wheel spacing, S_D



- effective contact area
- slab thickness from single axle

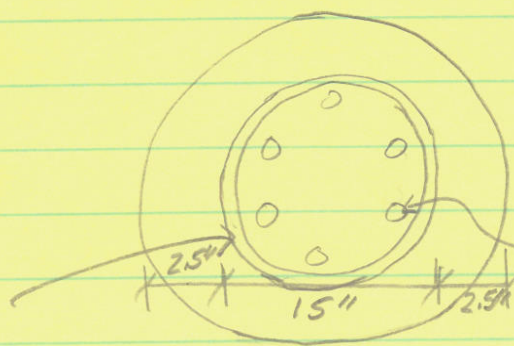
results

equivalent load factor, F

- multiply $F \times$ dual wheel axle load
- redesign as single axle

3pm Not 4:30

12-1-2010



Column

$$c_x = 10''$$

$$f'_c = 4 \text{ ksi}$$

$$f_y = 60 \text{ ksi}$$

6-#10

$$A_s = 2.62 \text{ in}^2$$

$$A_g = \pi r^2 = 314 \text{ in}^2$$

$$\gamma = \frac{\text{inside}}{\text{outside}} = \frac{15}{20} = 0.75$$

short answer
column problem

footing

Use the interaction curves to determine the P_n value for the short column which has bending about 1 axis.

serviceability
prestressed
anything
NO

$$\frac{e}{h} = \frac{10}{20} = 0.5$$

$$\rho = \frac{A_s}{A_g} = \frac{2.62}{314} = 0.0243$$

plot a straight line so $R = k \frac{e}{h}$, through origin

$$k_n = \frac{P_n}{f'_c A_g}$$

$$R_n = \frac{P_n e}{f'_c A_g h}$$

$$R_n = \underset{\substack{\uparrow \\ k_n}}{(0.16)} (0.5) = 0.3$$

USE Chart

$$P_n = k_n f'_c A_g = (0.31)(4)(314) = 3944 \text{ k}$$

